



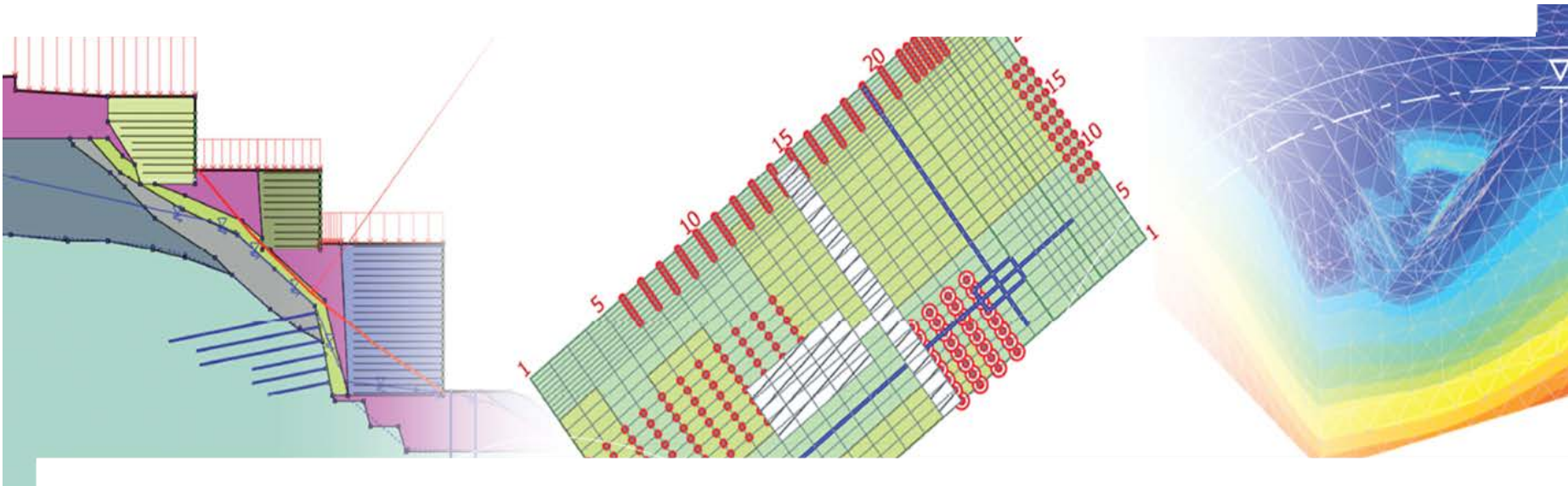
Talren v5



terrasol

setec

Software capabilities
Talren v5





- 1** Introduction
- 2** Main input
- 3** Main output



Introduction

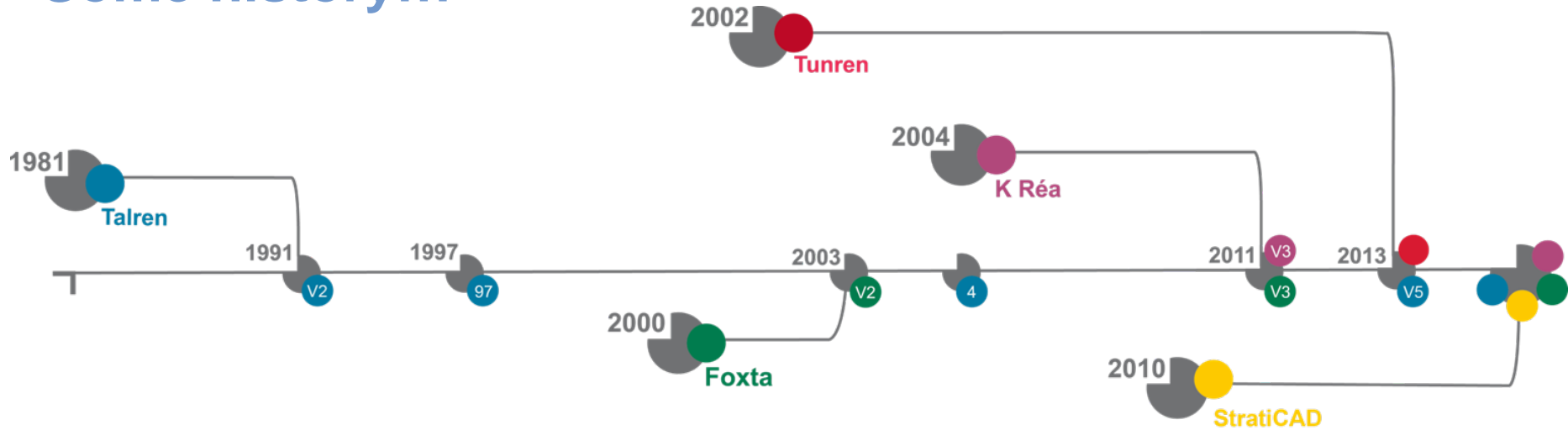
Talren is a software for slope stability analysis of geotechnical structures which enables the check of various types of works:

- natural slopes,
- cut or fill slopes,
- earth dams and dikes,

Taking into account various types of reinforcements:

- prestressed anchors,
- soil nails,
- piles and micropiles,
- struts,
- geotextiles,
- geogrids,
- steel and polymer strips.

Some history...



Last Windows version: Talren v5.1.4 December 2015

Pro active sales of TALREN software since 1990.

More than 500 licences that 1/2 abroad in approximately 50 countries:

- Korea; UK; Turkey; Lebanon; Algeria; India; Morocco...

Talren: developed together with Clouterre 1991

The part of the French Clouterre recommendations dealing with the design of soil nailed walls is largely based on the concepts and theories used in the development of the TALREN software, which is recognized as one of the main design tools for reinforced soils.



Geometry

Soil characteristics

Loads

Reinforcements

Hydraulic conditions

Seismic accelerations

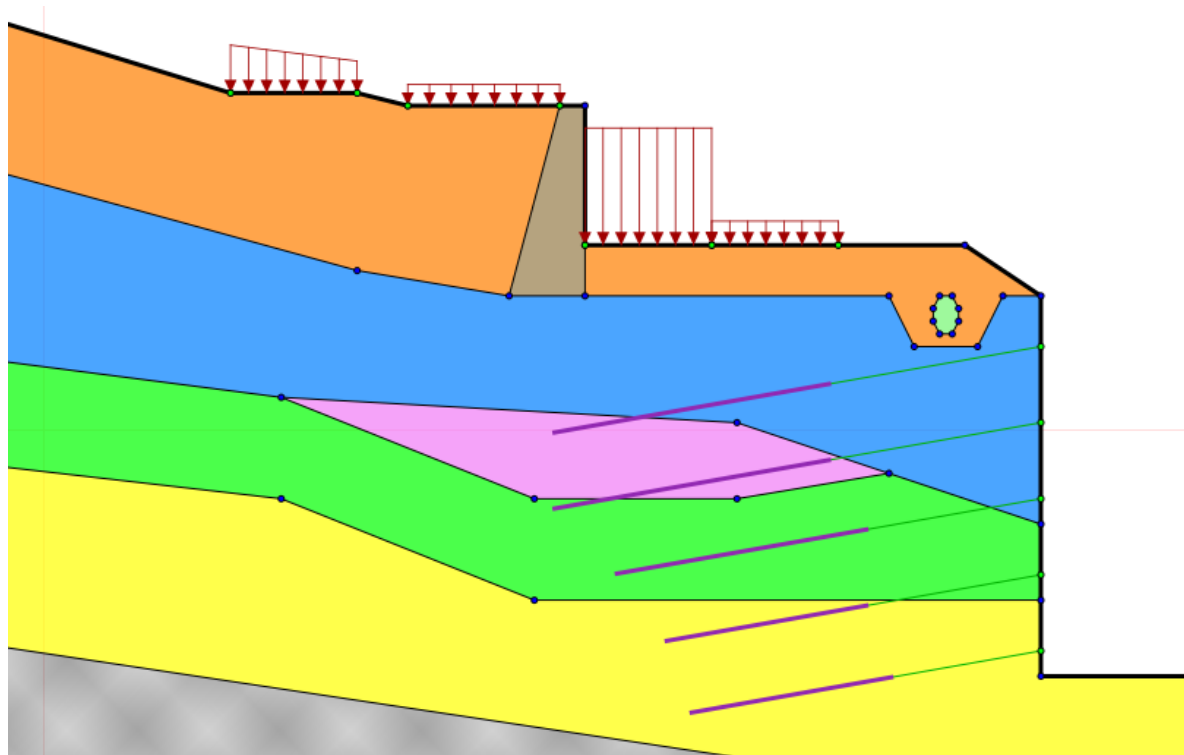
Partial safety factors

Calculation options

Project geometry



- Geometry can be complex.
- Model orientation: uphill on the left (failure from the left to the right).

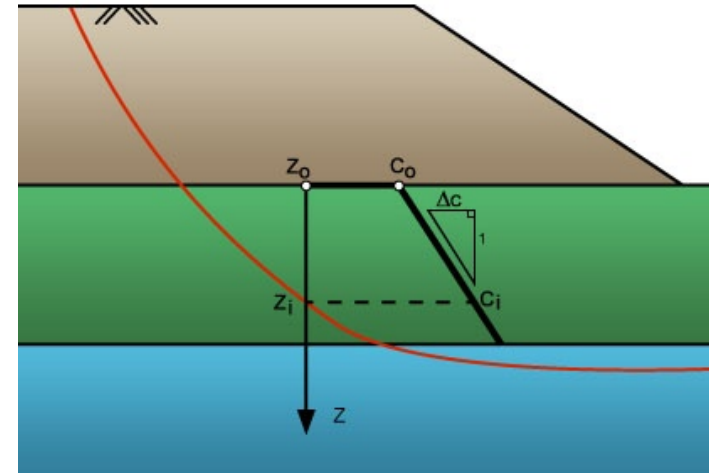


Soil properties



Compulsory data: γ , ϕ , c , Δc .

Name: Soil 1
 γ (kN/m³): 20,0 Favorable
 c (kPa): 5,0 Δc (kPa/m): 0,0
Cohesion: Effective
 Anisotropy
 ϕ (°): 35,00
Curve: Linear
 Enforce the display of all nail properties



If nails are defined in this layer:

q_s nails: unitary skin friction (traction)

p_l : limit pressure (shear)

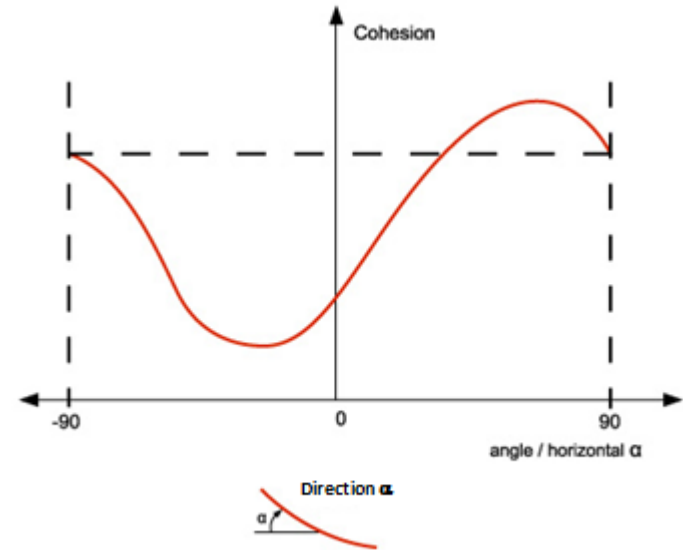
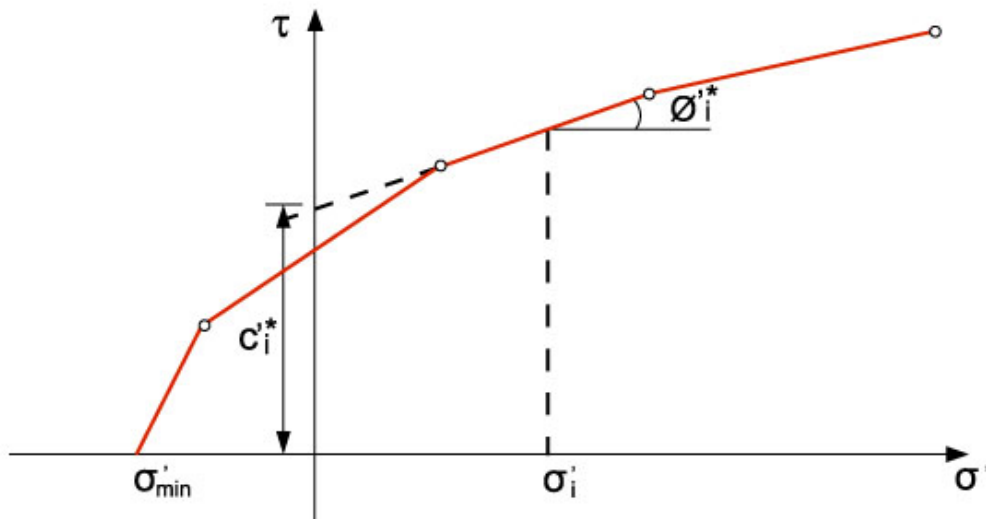
$K_s B$ (shear)

Enforce the display of all nail properties
 q_{s_nails} (kPa): 0,0
 p_l (kPa): 0,0
 $K_s B$ (kPa): 0,0

Options

- Cohesion anisotropy

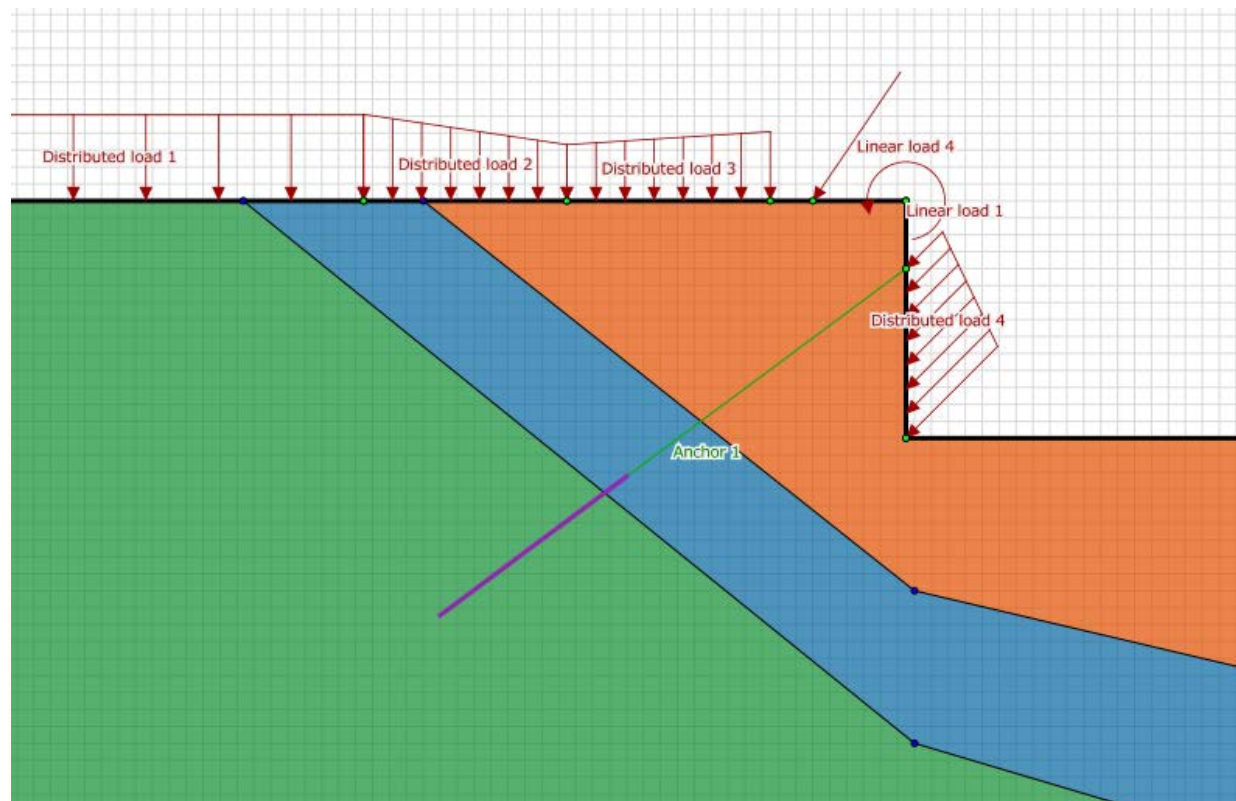
- Non-linear curve.



Loads



- Distributed loads (vertical)
- Linear loads (all angles possible)
- Additional moments





4 types

Nails	Traction+Shear	Interaction soil / nail
Anchors	Traction	Interaction soil / anchor
Strips	Traction	Interaction soil / strip
Struts	Compression	No interaction

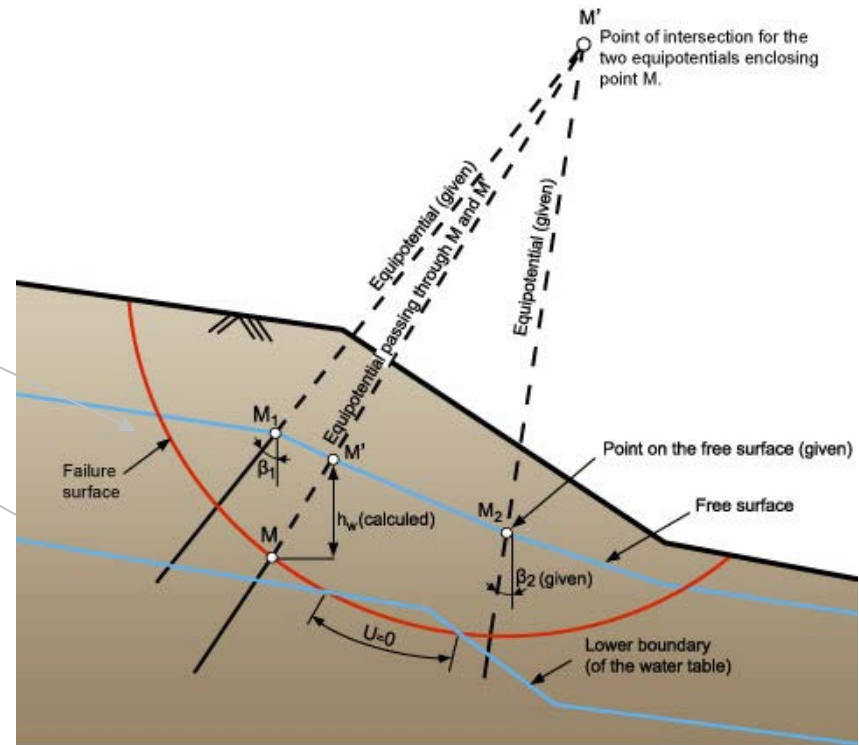
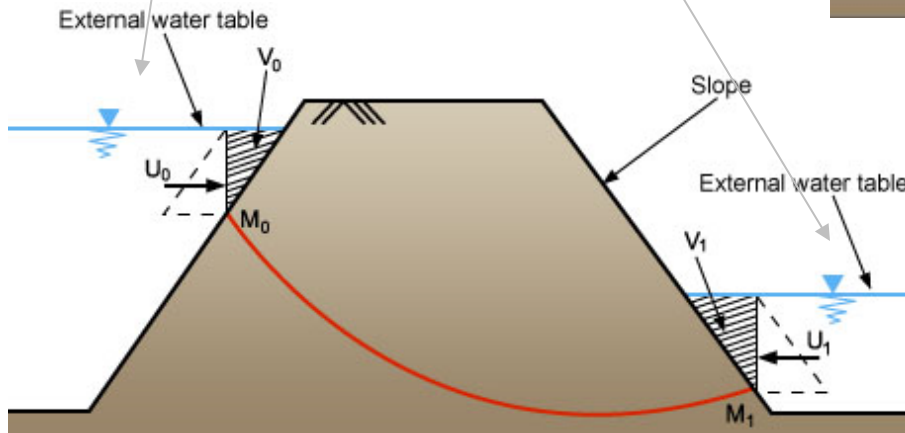


4 options

- **Phreatic line**
- **Pressures along polygonal failure surface**
- **Mesh of pore pressures**
- **ru coefficients**

Phreatic line:

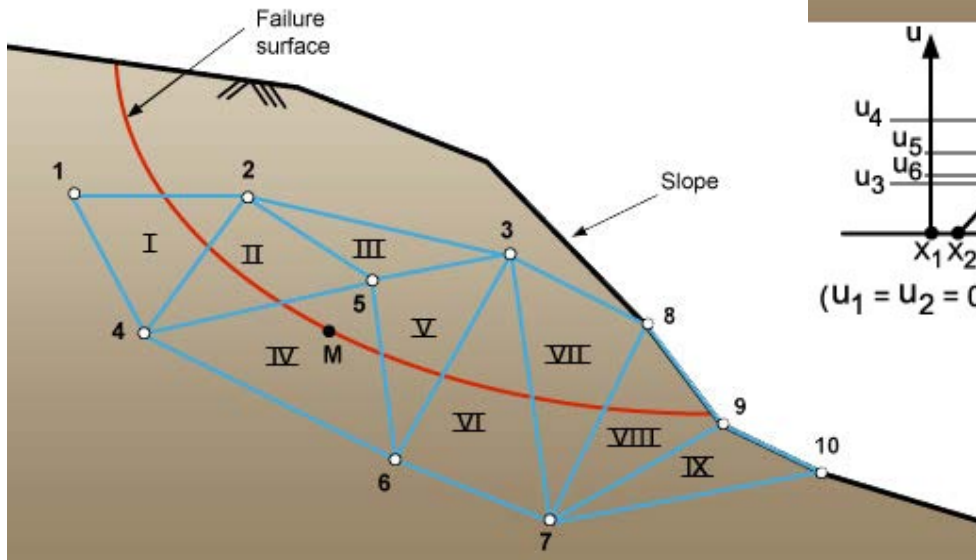
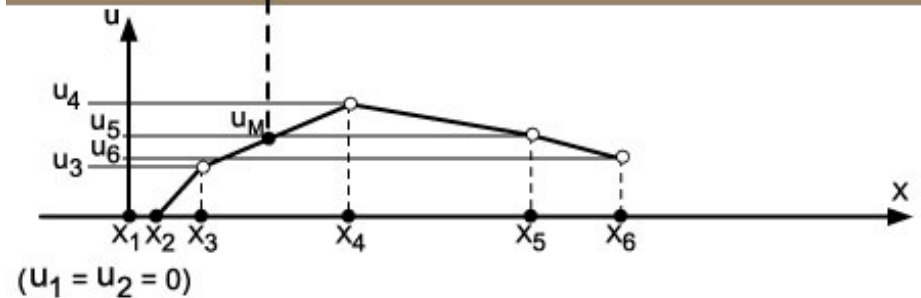
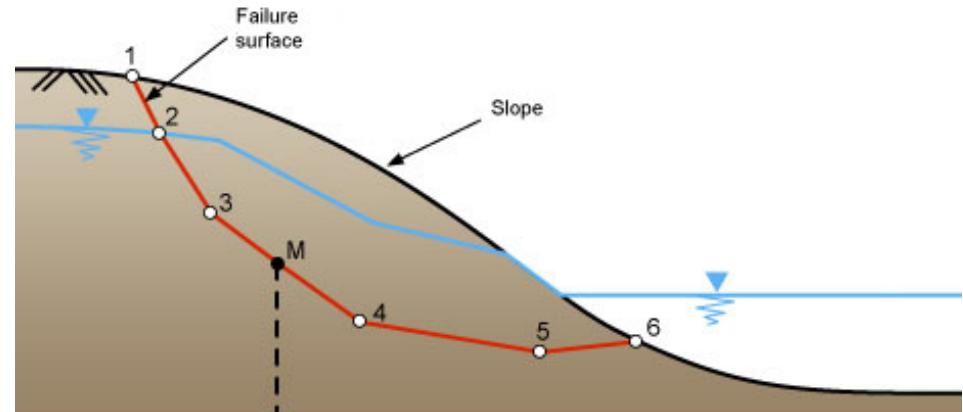
- Water level
- Base of water table
- External water level



External water level: beware !
You should define first your water level for the whole width of the model, and then define also an external water level.

Pressures along polygonal failure surface

- Hydraulic conditions should be set on option « along non-circular failure surfaces »
- u values should be defined with the failure surface definition



- Mesh of pore pressures:
Defined manually
Imported from Plaxis

Coefficients r_u

- Defined for each layer.
- Values can be different for each layer
- Values = 0 by default (no r_u coefficient taken into account in any layer).

Reset all r_u values to zero		
N°	Soil layer name	r_u
1	Soil layer 1	0,00
2	Soil layer 2	0,00
3	Soil layer 3	0,00

During calculations

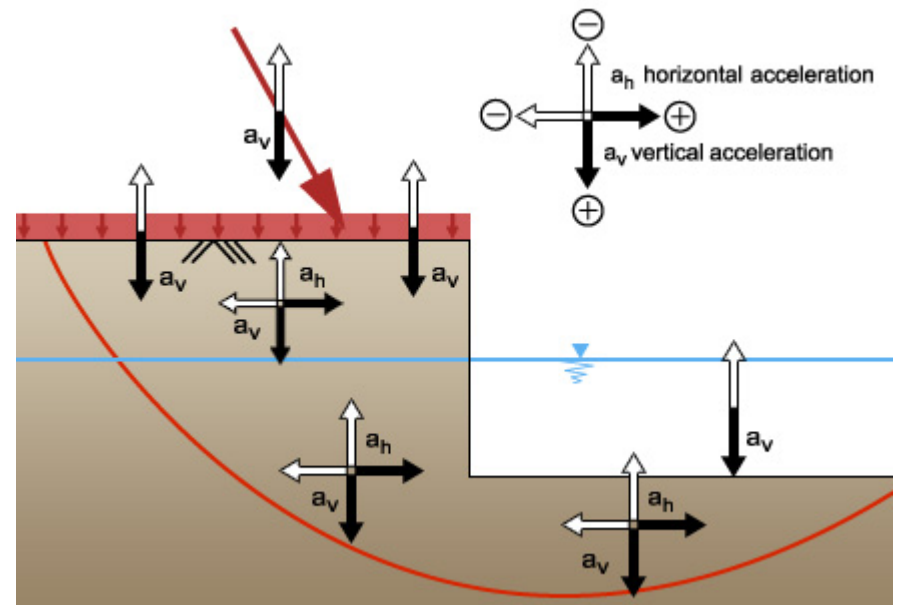
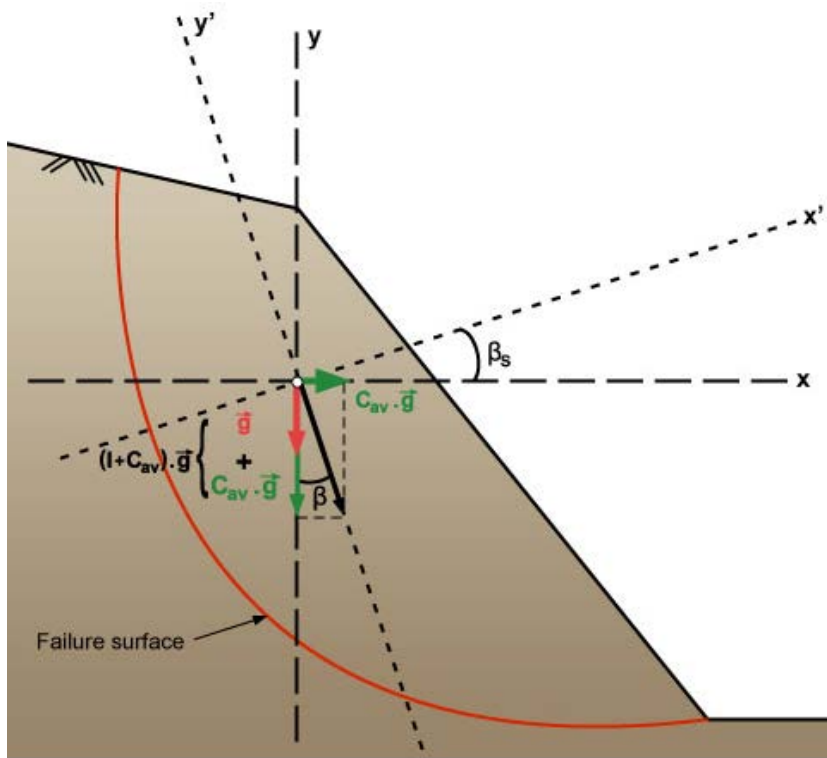
- In layers where $r_u \neq 0$: $u = r_u \cdot g \cdot h$
- In layers where $r_u = 0$: other existing hydraulic conditions are taken into account. For example, if a water table is defined, it will be taken into account to calculate u in layers with $r_u = 0$.
- Beware: r_u cannot be combined with external water levels.

Seismic : pseudo-static method



Horizontal and vertical accelerations.

4 signs combinations should be tested.



Partial safety factors



Talren enables Ultimate Limit State analysis, taking into account partial safety factors.

Partial weighting factors

Method factor

Partial safety factors

$$(0) \quad \Gamma_{S3} \tau(\Gamma_{S1} G, \Gamma_Q Q, G_W) \leq \tau_{\max} \left(\frac{\tan\phi}{\Gamma_\phi}, \frac{c}{\Gamma_c} \right)$$

An additional coefficient Γ is included to establish the equality. This coefficient should be greater than or equal to 1 to ensure equilibrium.

$$(0a) \quad \Gamma \Gamma_{S3} \tau = \tau_{\max}$$

Calculation result: global safety factor

Partial safety factors



Safety factor sets for the project (4)

EC7 Design Approach 1/2

Name	EC7 Design Approach 1/2
Γ_{min}	1,000
Γ_{s1}	1,000
Γ_{s1}	1,000
Γ_{φ}	1,250
$\Gamma_{c'}$	1,250
Γ_{cu}	1,400
Γ_Q	1,300
$\Gamma_{qsl,nail,ab}$	1,000
$\Gamma_{qsl,nail,es}$	1,000

Safety factor sets for the project (5)

code (French standard) - Fundamental - Standard

Name	code (French standard) - Fundamental - Standard
Γ_{min}	1,000
Γ_{s1}	1,000
Γ_{s1}	1,000
Γ_{φ}	1,250
$\Gamma_{c'}$	1,250
Γ_{cu}	1,400
Γ_Q	1,300
$\Gamma_{qsl,nail,ab}$	1,400
$\Gamma_{qsl,nail,es}$	1,000
$\Gamma_{qsl,strip}$	1,100
Γ_{pl}	1,400
$\Gamma_{a,nail}$	
$\Gamma_{a,anchor}$	
$\Gamma_{a,strip}$	1,250
Γ_{strut}	
Γ_{s3}	1,100

Tables issued from the EUROCODE and Clouterre recommendations for nailed and mixed (nails+anchors) structures



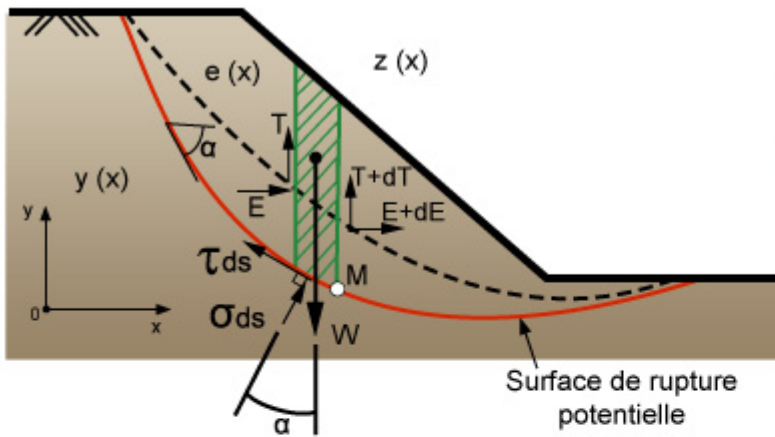
4 options

- **Slice methods: Fellenius, Bishop.**
- **Global method: Perturbations.**
- **Yield design method (logarithmic spirals):
detailed in a separate presentation.**

Fellenius and Bishop calculation methods



Slice methods: Fellenius, Bishop



Equilibre d'une tranche :

$$\begin{cases} O_x : dE + \sigma \sin \alpha ds + \tau \cos \alpha ds = 0 & (1) \\ O_y : dT + \sigma \cos \alpha ds - \tau \sin \alpha ds = \gamma h dx & (2) \end{cases}$$

$$h = z - y(x)$$

$$ds = \frac{dx}{\cos \alpha}$$

Moment / M

$$T + E \frac{de}{dx} + (e - y) \frac{dE}{dx} = 0 \quad (3)$$

$$\begin{matrix} (1) \\ (2) \\ (3) \end{matrix} + \boxed{\text{Conditions aux limites}} + \left(\tau = \frac{c' + (\sigma - u) \operatorname{tg} \varphi'}{F} \right)$$



$$\left. \begin{matrix} \sigma(x) \\ T(x) \\ E(x) \\ e(x) \\ F \end{matrix} \right\}$$

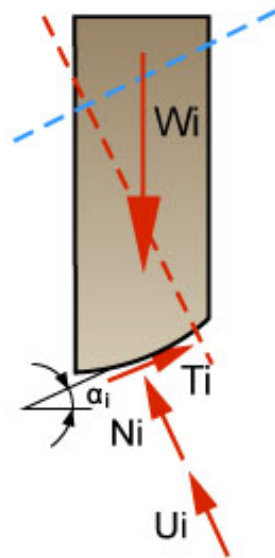
4 fonctions inconnues

Fellenius and Bishop calculation methods



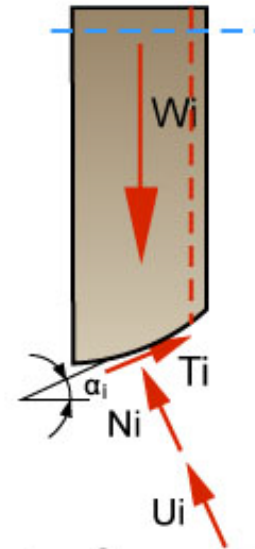
Additional assumptions necessary to solve the system:

Fellenius



$$\sigma' = \gamma h \cos^2 \alpha + \frac{dU}{dx} \sin \alpha \cos \alpha - u$$

Bishop



$$\sigma' = \frac{\gamma h - u - \frac{C}{F} \tan \alpha}{(1 + \tan \alpha \frac{\tan \phi}{F})} = \frac{\gamma h - u - \frac{C}{F} \tan \alpha}{m(\alpha)}$$

F calculation based on moments \longrightarrow $F = \frac{M_{\text{resisting}}}{M_{\text{driving}}}$

Perturbations calculation method



Global method: Perturbations (Raulin, Rouques, Toubol, LCPC 1974)

Global method: \neq slice method

$$\sigma' = \overbrace{\left[\gamma h \cos^2 \alpha + \frac{du}{dx} \sin \alpha \cos \alpha - u \right]}^{\sigma_{FeI}} [\lambda + \mu (\operatorname{tg} \alpha)^n]$$

avec $n=1$ ou 2

\Rightarrow 3 équations
3 inconnues: λ, μ, F

$\Rightarrow a_0 F^3 + a_1 F^2 + a_2 F + a_3 = 0$

$\Rightarrow F$
 $\lambda (-1)$
 $\mu (-0)$

All equilibrium equations are satisfied.

Yield design method

- Developed by Jean Salençon, in the 1980s.
- Virtual velocity field (one block mechanism).
- Mohr-Coulomb criterion.
- Logarithmic spiral: leads to the **lowest upperbound value**.

$$F = P_{rm}/P_e = M_{rm}/M_e = M_{\text{maximum resistance}}/M_{\text{external forces}}$$

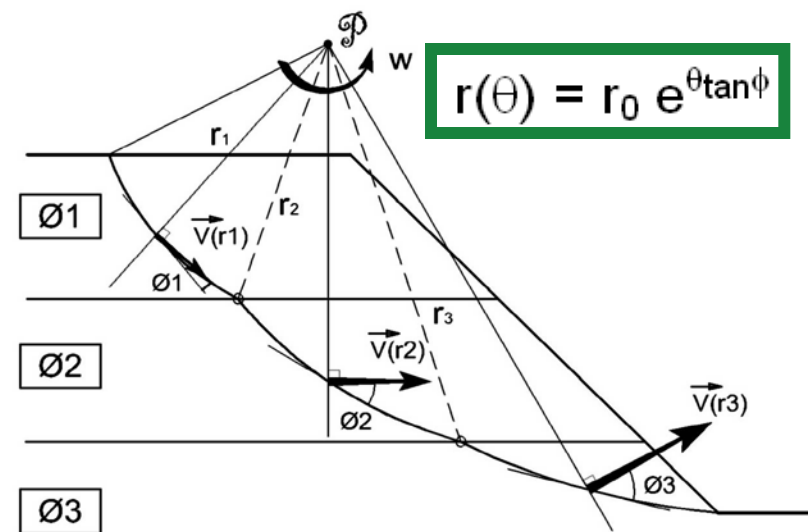
M_{rm} is maximum for logarithmic spirals (\Rightarrow upperbound solution).

F is called « failure coefficient » or « trust factor ».

Upperbound value: $F < 1.0 \Rightarrow$ failure; $F \geq 1.0 \Rightarrow$??

- No « slide » surface: velocities are not tangent to the block boundary; they are perpendicular to the radius.

- The spiral radius depends on the friction angle: the spiral is indeed composed of several spiral « pieces » having the same pole. Discontinuities are possible when changing layer (if friction angles are different).



Comparaison with «classical » methods

Exemple

Talus H = 7 m, $\beta = 49,4^\circ$

Couche unique $\phi = 20^\circ$, $c = 10$ kPa

Calcul à la rupture

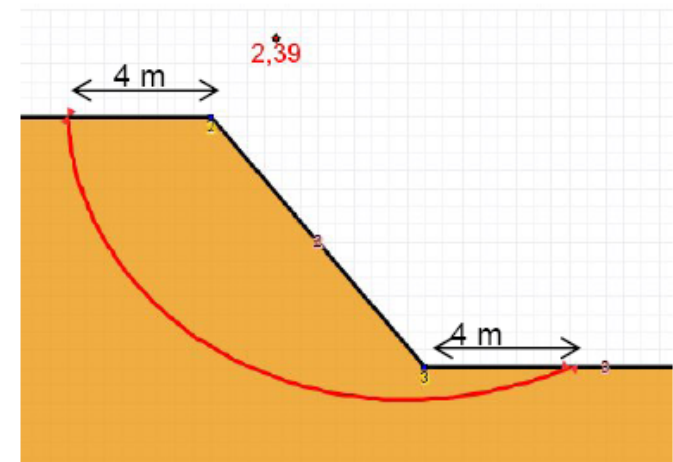
Spirale angle au centre 110°

Calcul sans pondération partielle

$\Gamma_\phi = 1$, $\Gamma_c = 1$

Résultat : F = 2,39

(coefficient de rupture
ou facteur de confiance)



Calcul à la rupture

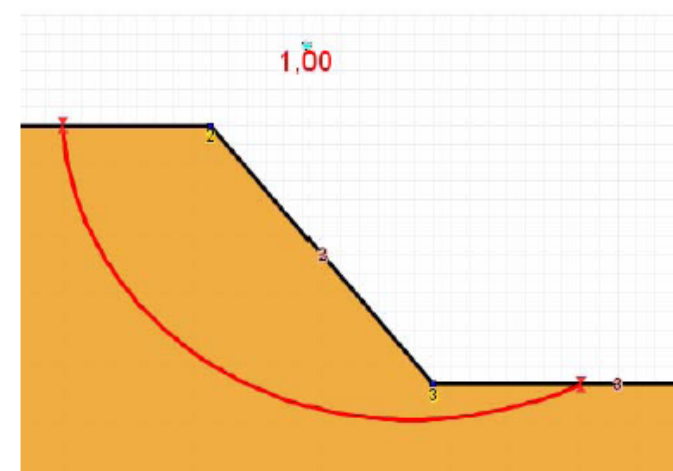
Introduction de la pondération
supplémentaire XF sur $\tan\phi$ et c

$\Gamma_\phi = XF$, $\Gamma_c = XF$

Recherche de XF pour obtenir F = 1

Résultat : XF = 1,27

(coefficient de sécurité "équivalent" à ceux
calculés par les méthodes de Fellenius,
Bishop ou des perturbations)



Comparaison for **F = 1**

Introduction of XF
coefficient

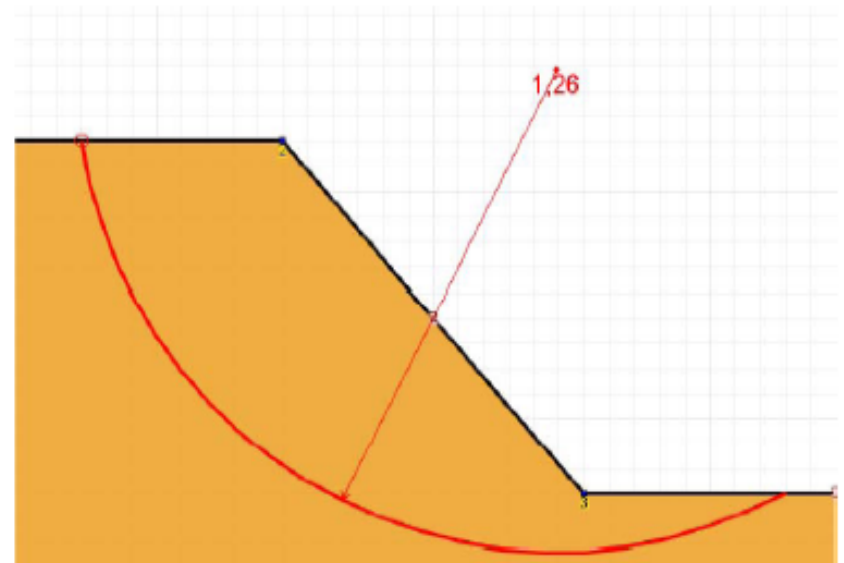
Comparaison à une méthode traditionnelle

Calcul Bishop

Cercle de mêmes extrémités et angle au centre 110°

$$\Gamma_\phi = 1, \Gamma_c = 1$$

Résultat : $F = 1,26$



Publication

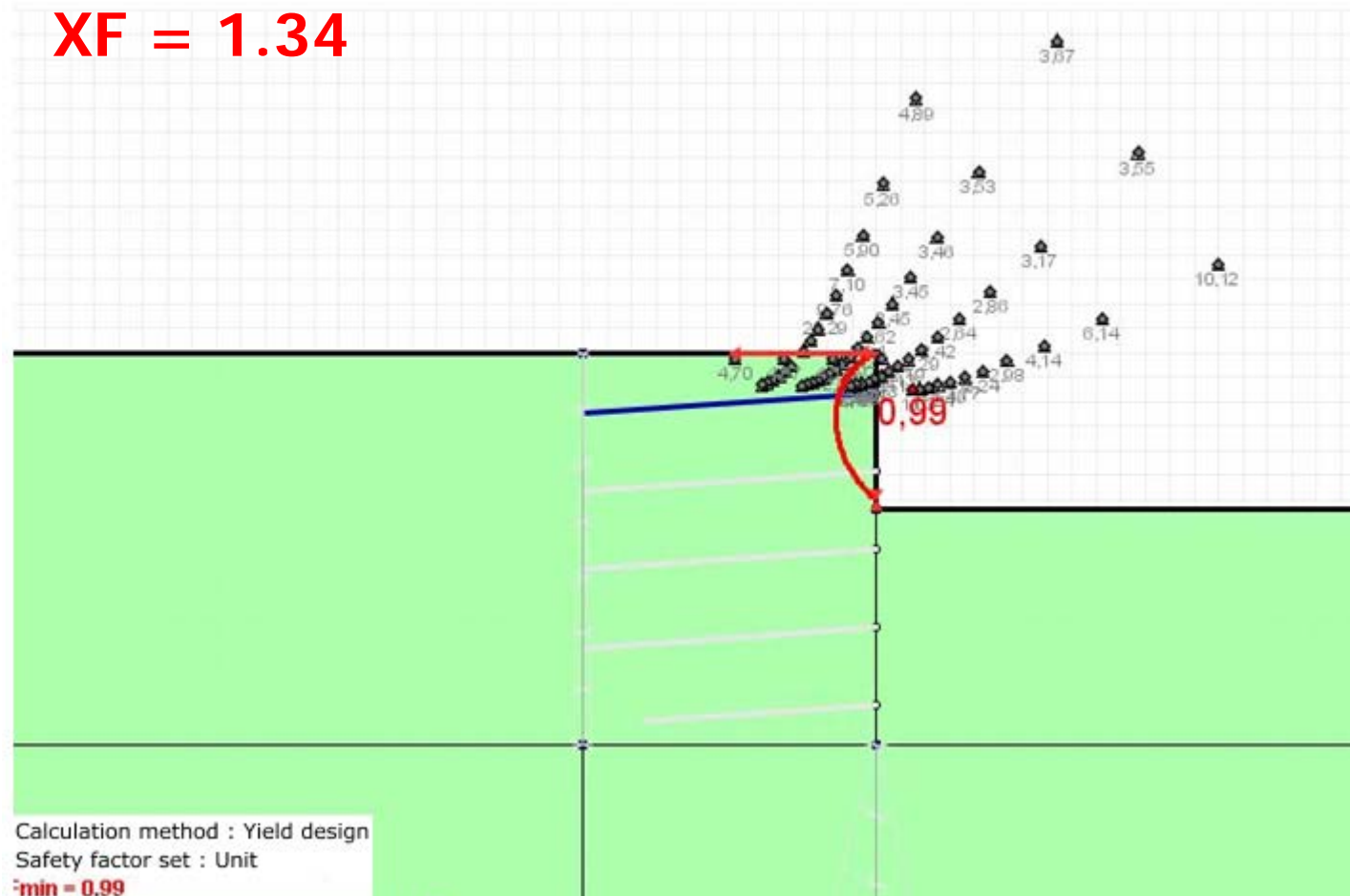
“Application du calcul à la rupture aux soutènements”, B. SIMON
ENPC – Symposium international ELU/ULS - Paris, Août 2006

Yield design method



Critical mechanism for 2nd stage of excavation

Fonctionnalités de recherche étendues

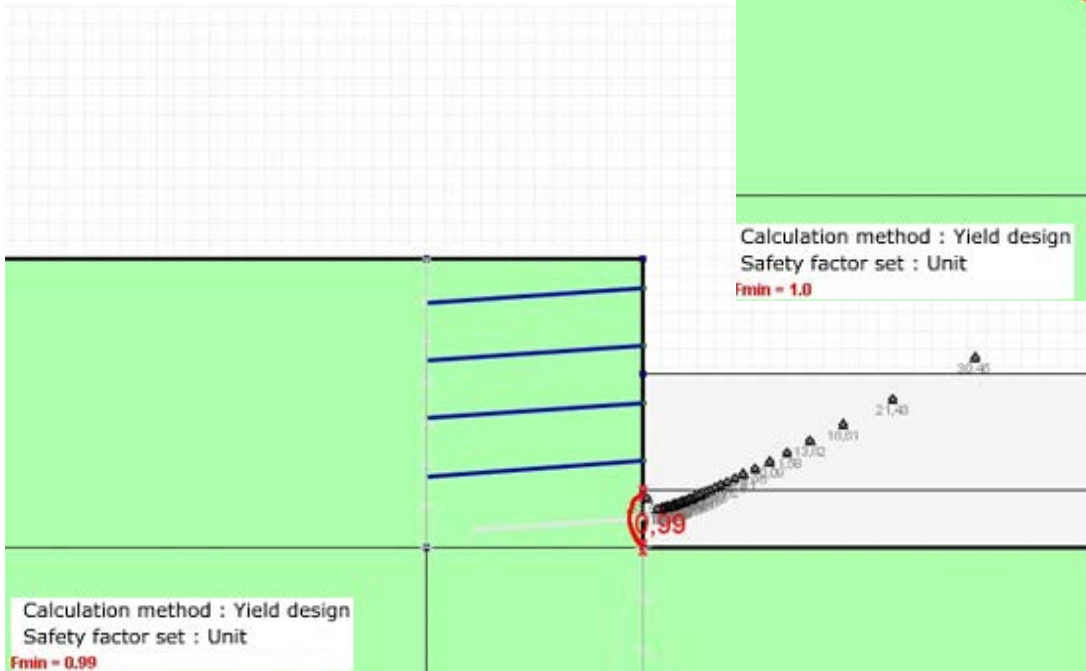


Yield design method

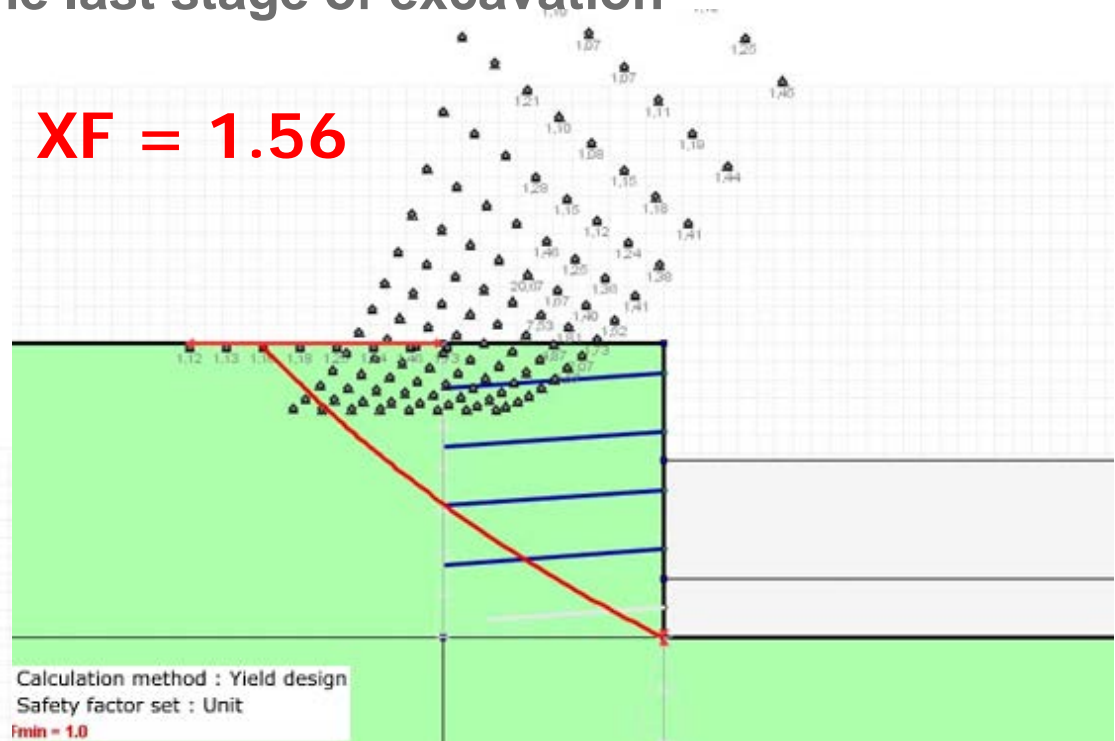


Critical mechanism for the last stage of excavation

XF = 1.27



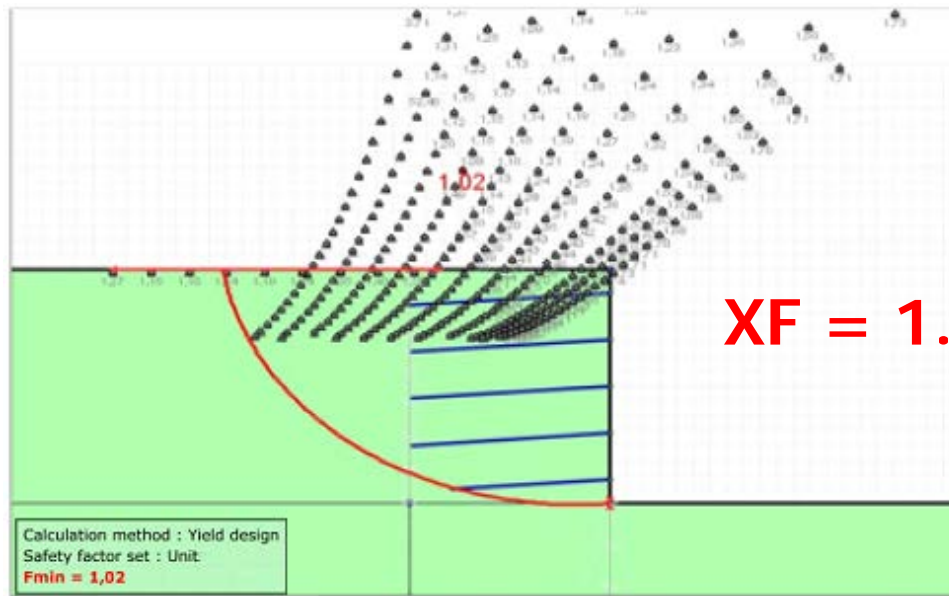
XF = 1.56



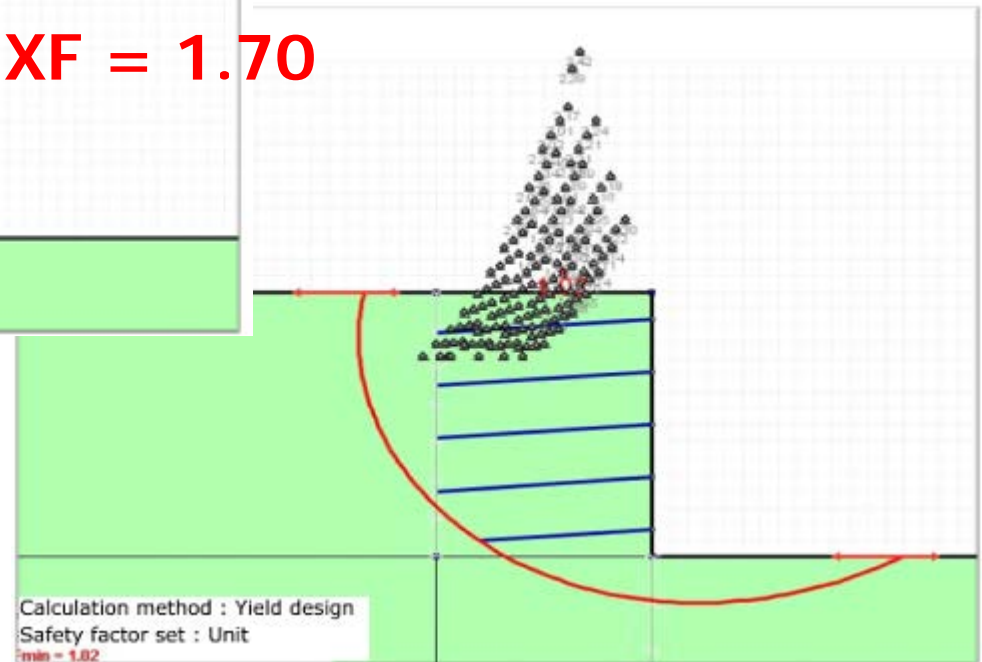
Yield design method



XF = 2.16



XF = 1.70

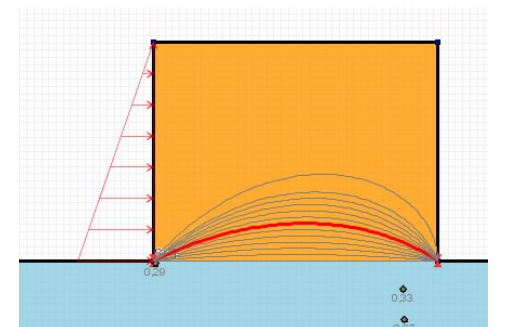
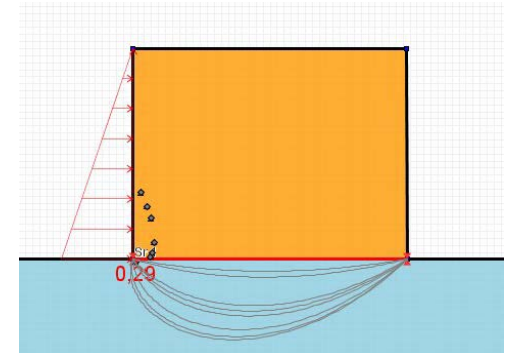
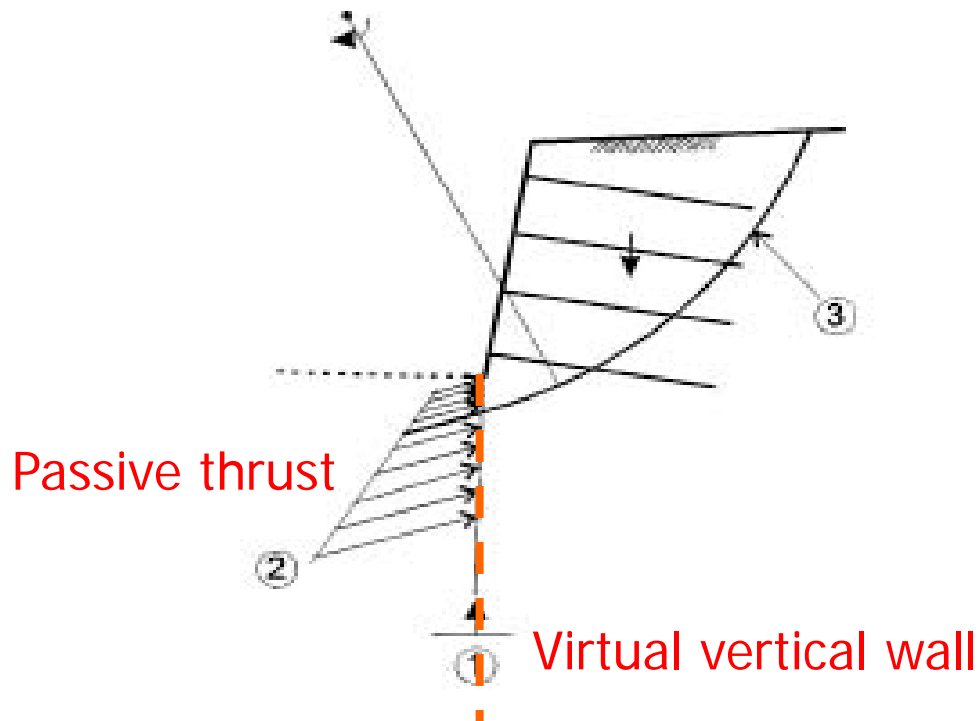


Yield design method



Options available with the Yield Design Method

- Inclined distributed loads can be taken into account.
- Active and passive earth pressures can be evaluated.
- Gabions can be calculated (concavity can be explored upwards and downwards to find the most unfavourable geometry).



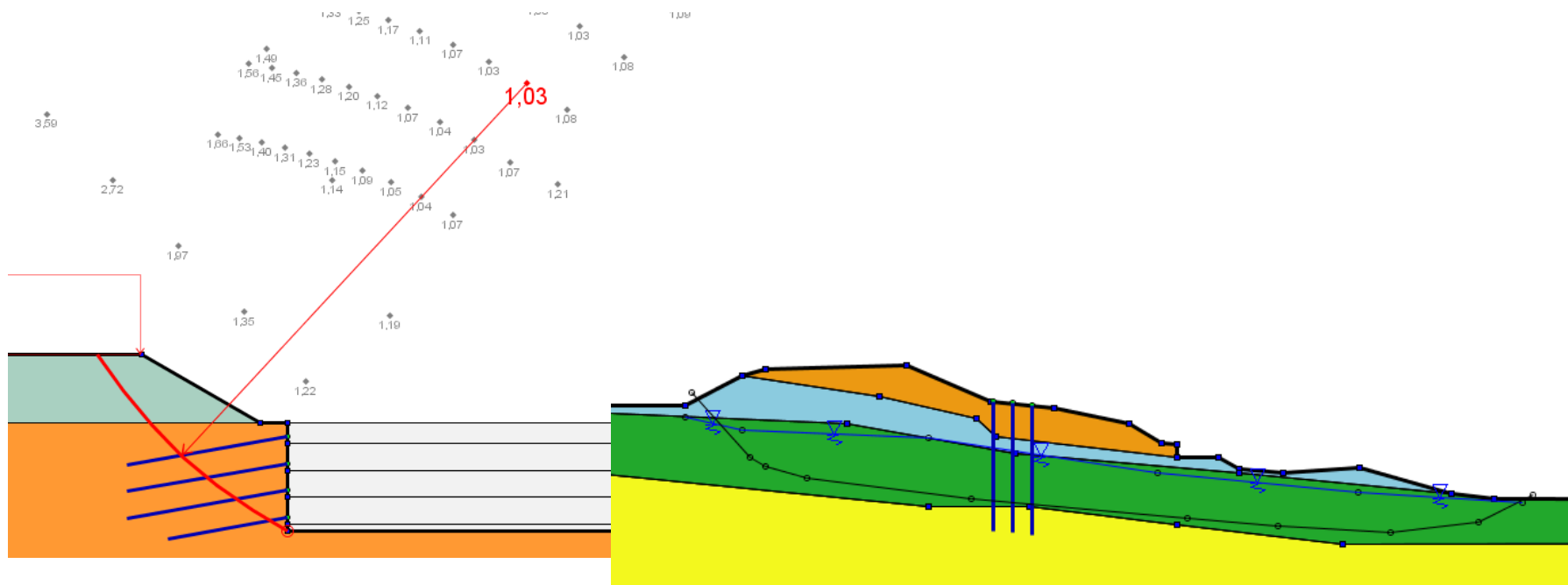
Failure surfaces: circular, polygonal or logarithmic spirals

Search mode:

- Manual search
- Automatic search

1st circle for each centre:

- Imposed passage point
- Smallest radius intercepting slope
- Tangent to a given soil layer



Automatic search



- Automatic search option for circular failure surfaces:
Talren scans the area for possible circle centers.

Situation properties

Automatic failure surface

Number of intervals = N

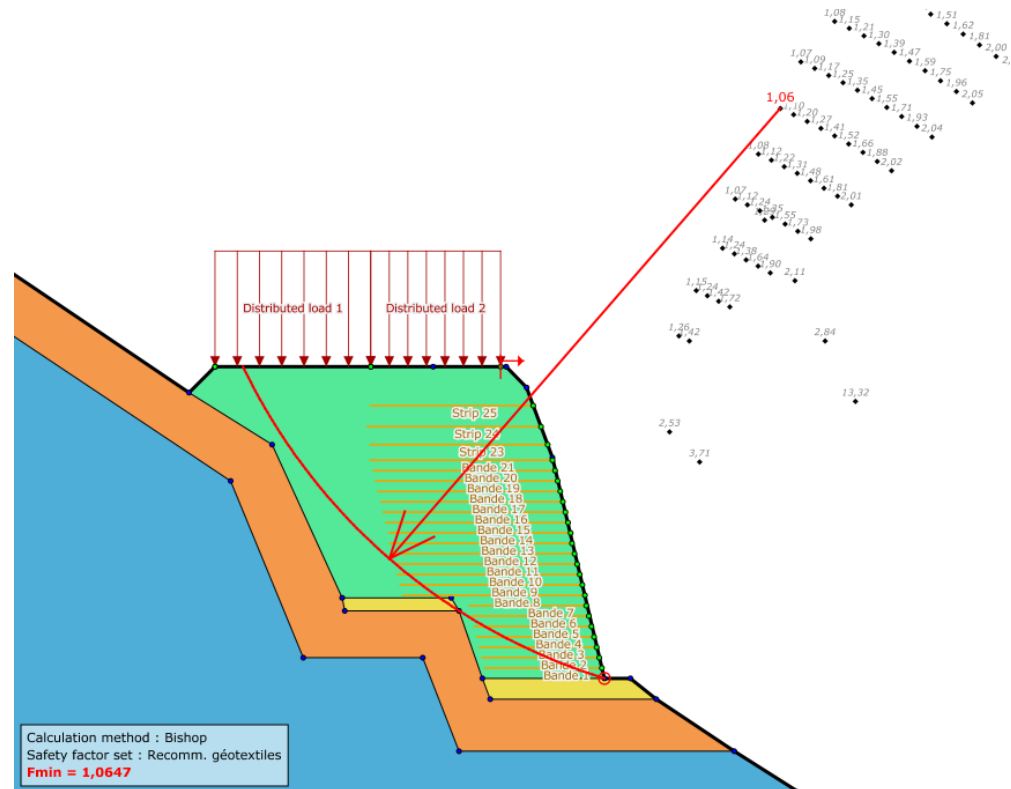
Increment for circle radius (m)

Min abs. for emerg. (m)

Search type

X (m) Y (m)

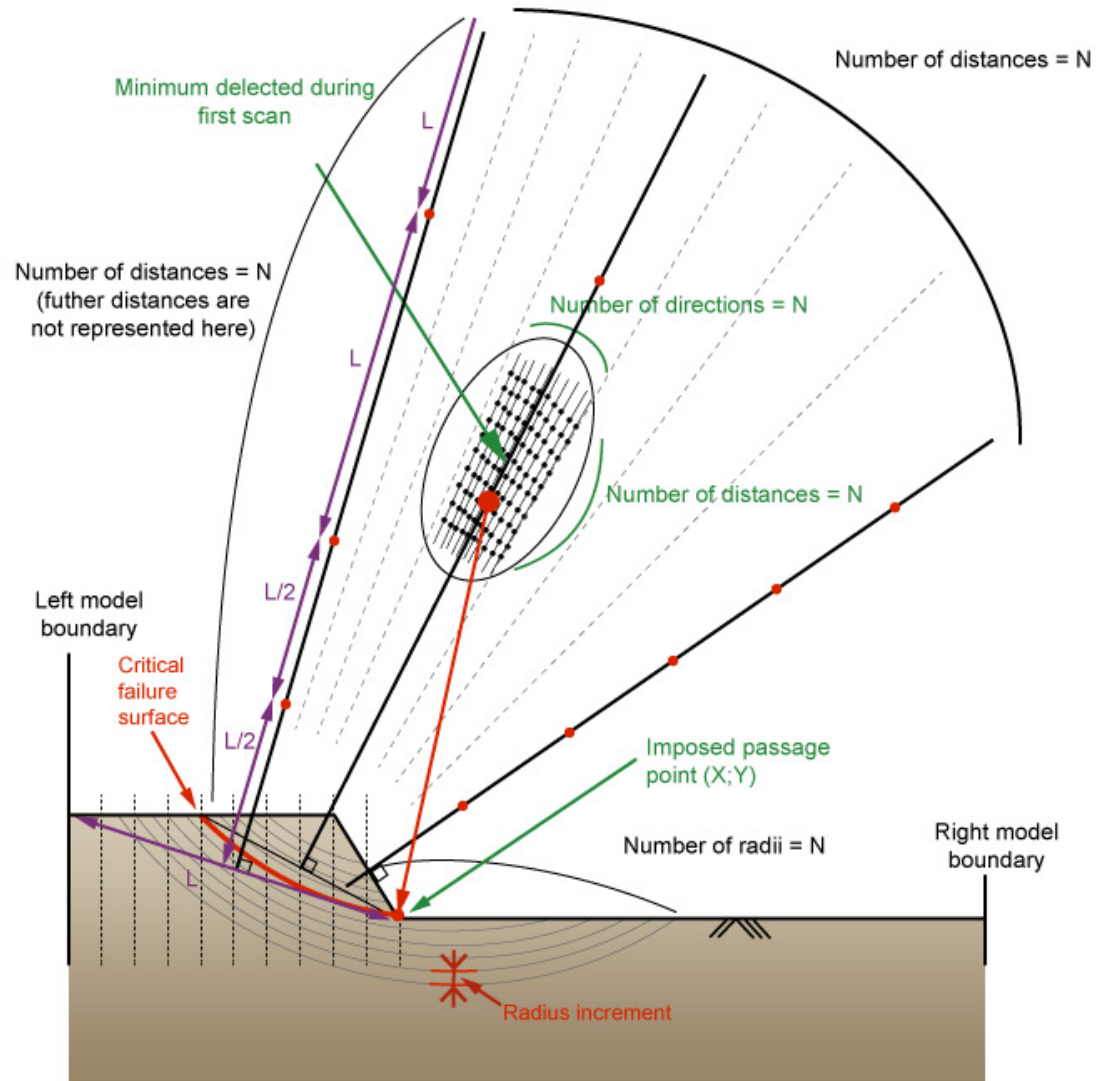
Number of surfaces that could be calculated : 2000



Automatic search

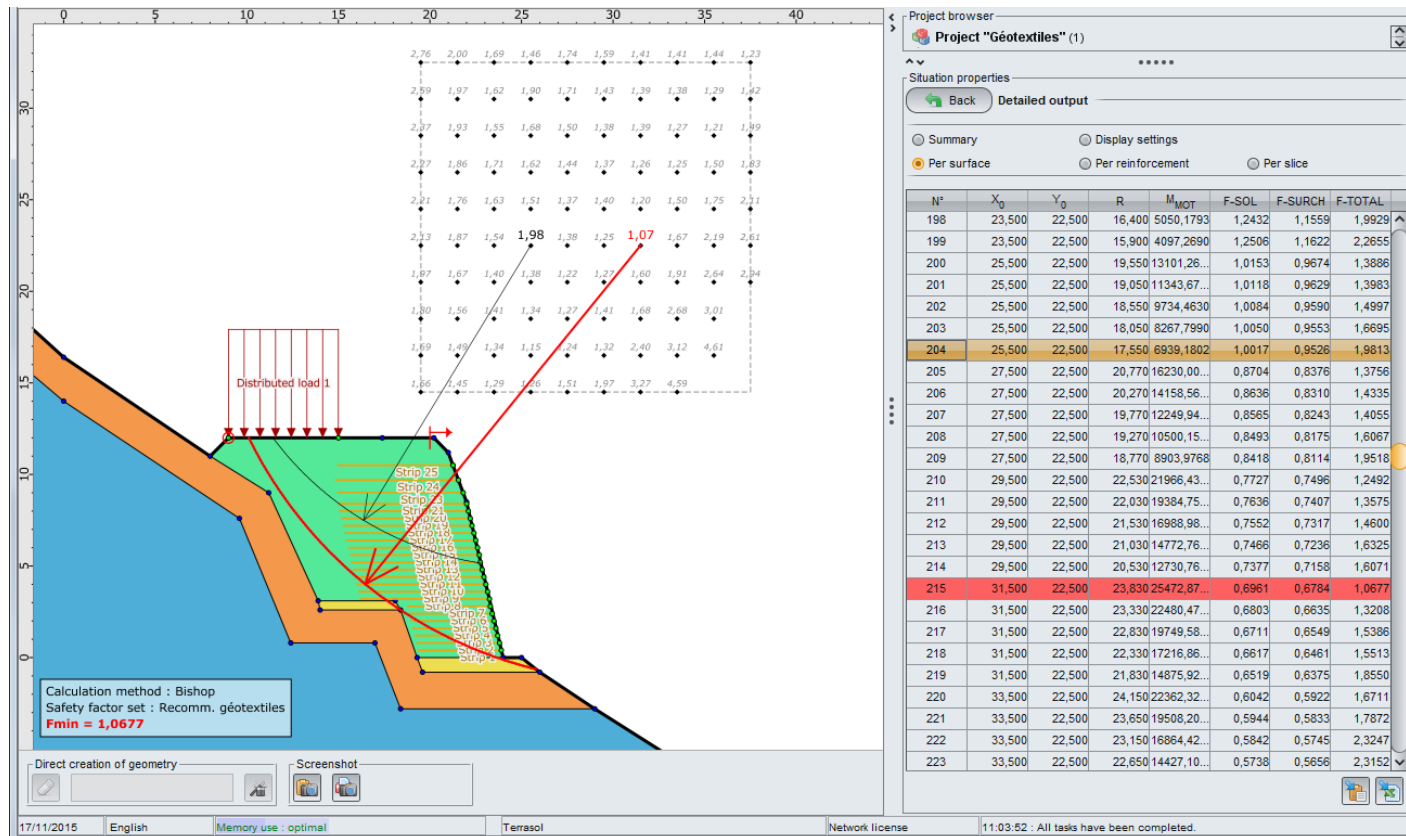


Automatic search of the critical circle with imposed point for the first calculated circle



Default graphical display of results:

- Factor of safety and the most critical failure surface.
- Factor of safety for all calculated surfaces



Detailed output



Complementary options

- Forces in reinforcements
- Detailed results per slices

Situation properties

Back Forces in reinforcements

Summary Display settings
 Per surface Per reinforcement Per slice

Surface: N°= 215; X0= 31,50; Y0= 22,50; R= 23,83

Strip	Name	LU	TR	ITR	IPTR
Strip 1		3,190	54,550	1	
Strip 2		2,360	54,550	1	
Strip 3		1,620	54,550	1	
Strip 4		0,960	54,550	1	
Strip 5		0,360	49,760	2	
Strip 6		0,000	0,000	0	
Strip 7		0,000	0,000	0	
Strip 8		1,280	37,880	1	
Strip 9		0,840	37,880	1	
Strip 10		0,430	37,880	1	
Strip 11		0,050	5,730	2	
Strip 12		0,000	0,000	0	
Strip 13		0,000	0,000	0	
Strip 14		0,000	0,000	0	
Strip 15		0,000	0,000	0	
Strip 16		0,000	0,000	0	
Strip 17		0,000	0,000	0	
Strip 18		0,000	0,000	0	
Strip 19		0,000	0,000	0	
Strip 20		0,000	0,000	0	
Strip 21		0,000	0,000	0	
Strip 23		0,000	0,000	0	

Network license 11:06:16 : All tasks have been completed.

Situation properties

Back Slice results

Summary Display settings
 Per surface Per reinforcement Per slice

Surface: N°= 215; X0= 31,50; Y0= 22,50; R= 23,83

N°	DL	X	Y	A	GH	YGS	IS	u	UNE	RDS	SIG-TOT	TAU
1	0,210	10,160	11,910	1,110	22,000	21,110	4	0,000	0,000	0,000	9,220	4,030
2	0,210	10,250	11,720	1,100	25,900	19,700	4	0,000	0,000	0,000	10,990	4,810
3	0,210	10,350	11,540	1,090	29,700	18,650	4	0,000	0,000	0,000	12,800	5,600
4	0,210	10,440	11,350	1,080	33,600	17,820	4	0,000	0,000	0,000	14,640	6,400
5	0,210	10,540	11,170	1,080	37,500	17,150	4	0,000	0,000	0,000	16,510	7,220
6	0,210	10,640	10,990	1,070	41,300	16,580	4	0,000	0,000	0,000	18,410	8,050
7	0,210	10,740	10,800	1,060	45,100	16,100	4	0,000	0,000	0,000	20,340	8,890

Slices curve

Network license 11:06:16 : All tasks have been completed.